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– RAIGAD -402 103

Mid Semester Examination – October - 2017

Branch: (Elect./Extc./Comp/IT/Instru/Biomedical)

Sem.: - I

Model Answer for the paper

Marks: 20

Subject with Subject Code:- Basic Electrical Engineering [EE104]

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*** M in bracket for marks.**

Q.No.1. Attempt any three of the following (3 x 2marks) (06)

1. Define power and energy write their SI units.

Ans:

Electrical power is the rate of work done. It is the rate of doing work. Its unit is watt (W) which represents 1 joule per second. $1 \text{ W} = 1 \text{ J/s}$ or which gives rate of change of energy with time and is equal to power. The SI derived unit for power (P) is watt expressed as Joule per sec. $P = \frac{dw}{dt} = V \times I$ ---- **(1 M)**

Energy

It is the capacity of doing the work and its SI unit is watt-sec or joules. - ----- **(1 M)**
 $E = P \times t$ Joule.

2. State Maximum Power Transfer Theorem.

Ans.: This theorem may be stated as follows :

A resistive load will abstract maximum power from a network when the load resistance is equal to the resistance of the network as viewed from the output terminals, with all energy sources removed leaving behind their internal resistances. ----- **(2 M)**

$$R_L = R_{th}$$

3. State the effect of temperature on resistance of 1. Aluminium 2. Eureka.

Ans:1. Aluminium: Aluminium is pure metal so, the resistance increases with increase in temperature. ----- **(1 M)**

2. Eureka: Eureka is alloy so, with an increase in temperature resistance increases slightly. **(1 M)**

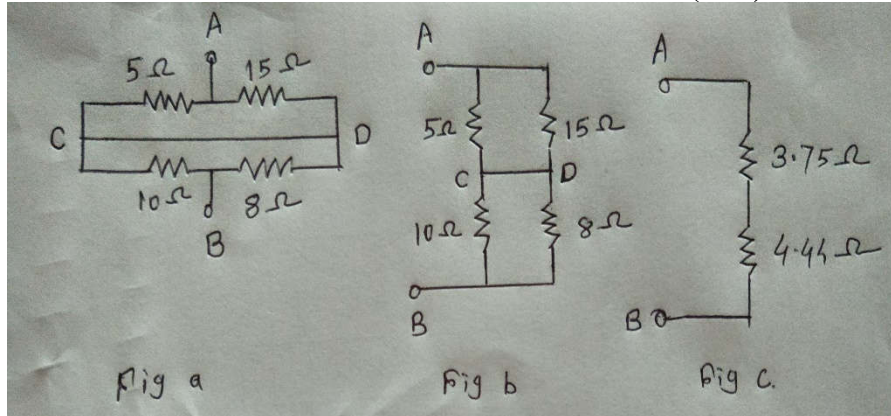
4. Find the equivalent resistance across terminal A and B.

Solution:

Resistance of branch $ACD = 5 \parallel 15 = (5 \times 15)/(5+15) = 3.75 \Omega$ (Figure b.) ----- (1/2 M)

Resistance of branch $BCD = 10 \parallel 8 = (10 \times 8)/(10 + 8) = 4.44 \Omega$ (figure c) ----- (1/2 M)

Resistance between A and B = $3.75 + 4.44 = 8.19 \Omega$ ----- (1 M)



Q.No. 2 Attempt any one of the following: (1x 6)

(06)

a.) A water immersion heater develops 1800000 K Joules heat energy to boil the water 20°C to 70°C when connected across 240volt supply. The heater has resistance of 50Ω and heat efficiency is 85 %. Determine 1. volume of water .

2. Input energy.

3. Time required to boil the water.

Assume specific heat of water $4200 \text{ J/kg } ^\circ\text{C}$.

solution: Given

Heat produced electrically $H = 1800,000 \text{ Joules}$, $t_1 = 20^\circ\text{C}$ and $t_2 = 70^\circ\text{C}$,efficiency =85% , $V = 240 \text{ V}$,Specific heat capacity $S = 4200 \text{ J / Kg } ^\circ\text{C}$ Resistance of heater = 50Ω .

volume or mass of water :(m)

$$H = m \times s \times \Delta T = m \times 4200 \times (70-20) = 2,10,000m$$

$$m = H / 210000 = 1800000 / 210000 = \mathbf{8.57 \text{ kg.}} \text{ ----- (2 M)}$$

In put Energy: Ei to heater : $E_i = H / \text{efficiency} = 1800000 / 0.85 = \mathbf{2117647.058 \text{ J.}} \text{ ---- (2 M)}$

Time required to boil the water :(t)

$$E_i = (V^2 / R) \times t = (240^2 / 50) t$$

$$t = E_i \times (50 / 240^2) = 2117647.058 \times (50 / 240^2) = 1838.235 \text{ sec.}$$

$$t = 1838.235 / 60 = \mathbf{30.63 \text{ min.}} \text{ ----- (2 M)}$$

b.) Determine current flowing through $5\ \Omega$ register using superposition theorem.

solution: Assume terminals of 5Ω as A & B.

Step 1

6-volt battery has been removed. Fig(b)

Calculate the current I_{AB} due to 4 Amp current source

Resistance 5 and 4 are in series = $(4 + 5) = 9\Omega$ (Fig c)

Using current division rule , $I_{AB1} = 4 \times [3/(3+9)] = 1\ \text{A}$ ----- (2 M)

Step 2

4 A current source has been removed. (Fig. d)

Calculate the current I_{BA} due to 6 -volt battery.

Total resistance = $(3 + 5) \parallel 4 = (8 \times 4) / (8+4) = 32 / 12 = 2.66\ \Omega$

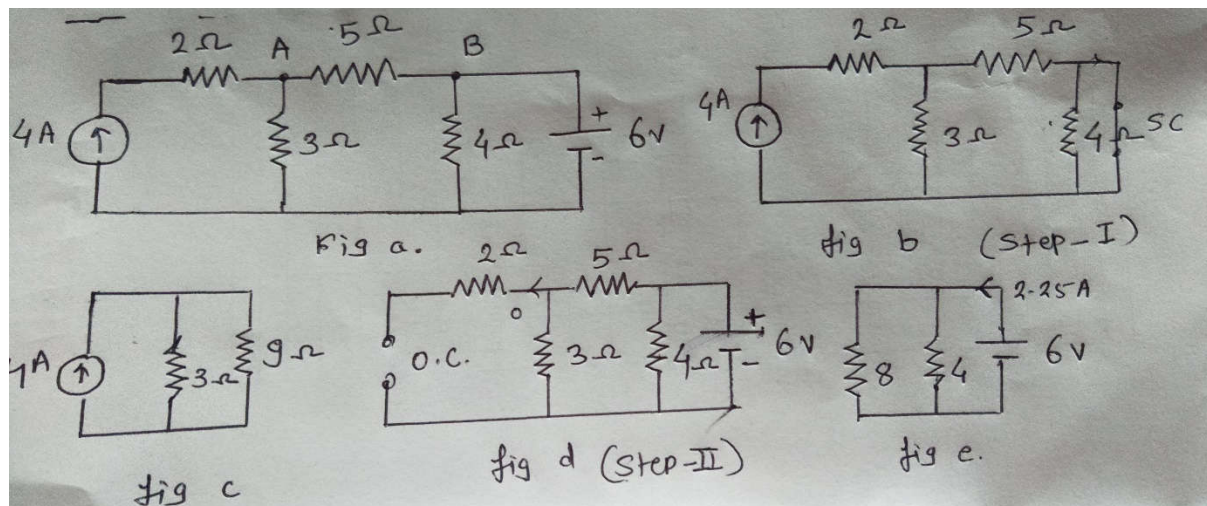
$I = 6 / 2.66 = 2.25\ \text{A}$.

Using current division rule , $I_{BA} = 2.25 \times [4/(4+8)] = 0.75\ \text{A}$ (Fig. e)

$I_{AB2} = -0.75\ \text{A}$ ----- (2 M)

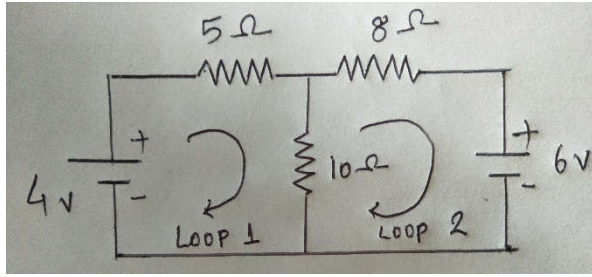
Step 3 find I_{AB}

$I_{AB} = I_{AB1} + I_{AB2} = 1\ \text{A} - 0.75\ \text{A} = 0.25\ \text{A}$ ----- (2 M)



Q. No 3. Attempt any two of the following (2 X 4 = 8) (08)

1. Find the current through 10-ohm resistance using loop analysis.



Solution:

For loop 1 Applying KVL, we get

$$-5I_1 - 3(I_1 - I_2) + 5 = 0 \text{ or } 15I_1 - 10I_2 = 4 \dots(i) \quad \text{-----}(1M)$$

For loop 2 Applying KVL, we have

$$-8I_2 - 10(I_2 - I_1) - 6 = 0 \text{ or } 10I_1 - 18I_2 = 6 \text{ or } 5I_1 - 9I_2 = 3 \dots(ii) \quad \text{-----}(1M)$$

Solve simultaneous equation find I_1 & I_2 -----(1M)

Multiply equation (2) by 3 and add to equation (1)

$$17I_2 = -9 + 4 = -5$$

$$I_2 = -0.294 \text{ A}$$

Substituting the value of $I_2 = -0.294 \text{ A}$ in (i) we get

$$15I_1 + 2.94 = 4 \text{ or } 15I_1 = 4 - 2.94$$

$$15I_1 = 1.06 \text{ A}$$

$$\text{or } I_1 = 0.070 \text{ A}$$

Find current through $I_{10\Omega}$

$$I_{10\Omega} = 0.07 - (-0.294) = 0.36 \text{ A} \quad \text{-----}(1M)$$

2 .Define RTC and proof **Where = tempt. coeff. at 0°C ; = tempt. coeff. at $t^\circ\text{C}$.**

Solution :

The temperature-coefficient of a material may be defined as : *The increase in resistance per ohm original resistance per $^\circ\text{C}$ rise in temperature.* -----(1M)

value of α itself is not constant but depends on the initial temperature on which the increment in resistance is based. When the increment is based on the resistance measured at 0°C ,

then α has the value of α_0 . At any other initial temperature $t^\circ\text{C}$, value of α is α_t and so on.

Suppose a conductor of resistance R_0 at 0°C is heated to $t^\circ\text{C}$ Its resistance R_t after heating is given by

$$\text{-----}i \quad \text{-----}(1M)$$

Where α_0 is the temperature coefficient at 0°C .

The resistance given in terms of

From eq 2 we have,

$$\text{-----}(1M)$$

Substitute value of α_t in Eq. i we get,

Hence,

-----(1M)

3.State Thevenin's theorem and explain how it is applied for network problem.

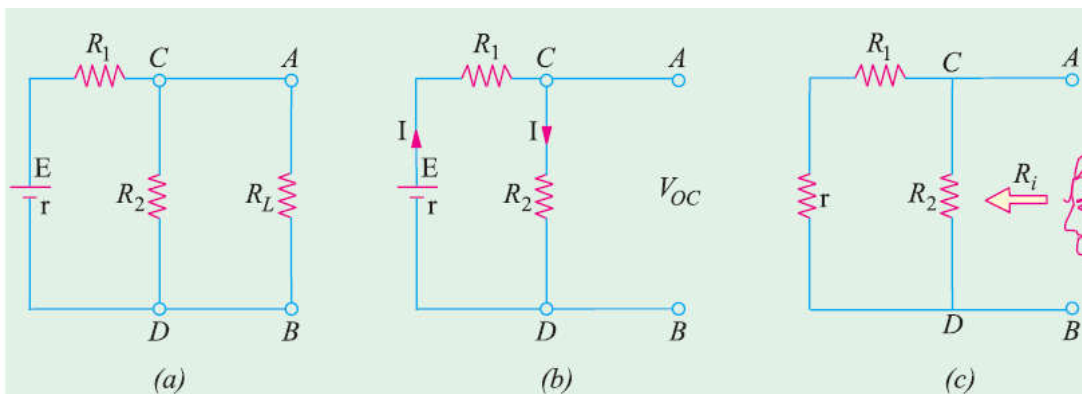
Solution :

Thevenin's Theorem stated as

The current flowing through a load resistance R_L connected across any two terminals A and B of a linear, active bilateral network is given by $V_{oc} \parallel (R_i + R_L)$ where V_{oc} is the open-circuit

voltage (i.e. voltage across the two terminals when R_L is removed) and R_i is the internal resistance of the network as viewed back into the open-circuited network from terminals A and B with all voltage sources replaced by their internal resistance (if any) and current sources by infinite resistance.

-----(1M)



Suppose, it is required to find current flowing through load resistance R_L , as shown in Fig. (a).

Steps -----(2 M)

1. Remove R_L from the circuit terminals A and B and redraw the circuit as shown in Fig. (b). The terminals have become open-circuited.

2. Calculate the open-circuit voltage V_{oc} which appears across terminals A and B when they are open i.e. when R_L is removed.

As seen, $V_{oc} = \text{drop across } R_2 = IR_2$ where I is the circuit current when A and B are open.

$$I = E / (R_1 + R_2 + r)$$

$$V_{oc} = IR_2 = E R_2 / (R_1 + R_2 + r) \quad (r \text{ is the internal resistance of battery})$$

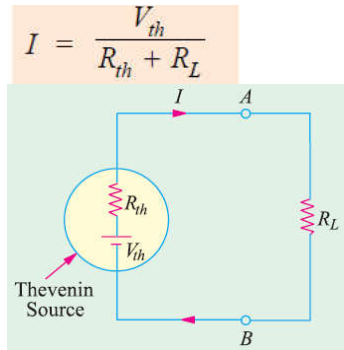
It is also called 'Thevenin voltage' V_{th} .

3. Now, imagine the battery to be removed from the circuit, leaving its internal resistance r behind and redraw the circuit, as shown in Fig. (c). When viewed **inwards** from terminals A and B, the circuit consists of two parallel paths : one containing R_2 and the other containing $(R_1 + r)$. The equivalent resistance of the network, as viewed from these terminals is given as

$$R_{th} = R_2 \parallel (R_1 + r) = R_2(R_1 + r) / (R_2 + (R_1 + r))$$

This resistance is also called, Thevenin resistance R_{th}

4. RL is now connected back across terminals A and B from where it was temporarily removed earlier. Draw the Thevenin's equivalent circuit and find Current flowing through RL .



-----(1M)

